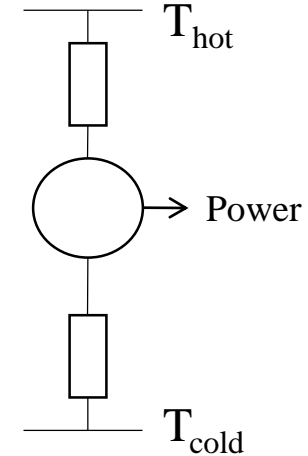
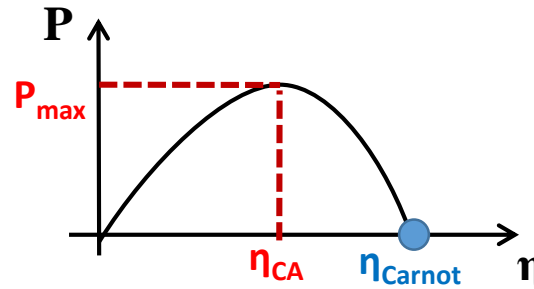


Finite Time
Thermodynamics
FTT

Endoreversible



$$\eta_C = \frac{W}{Q_{in}} = 1 - \frac{T_{cold}}{T_{hot}}$$



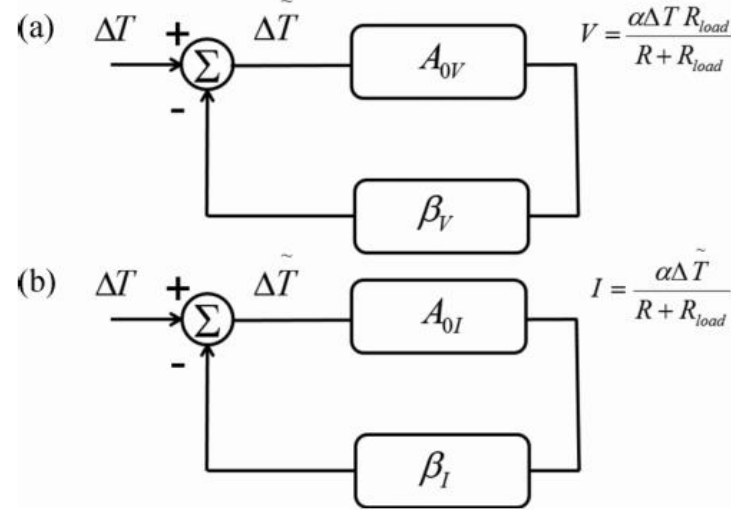
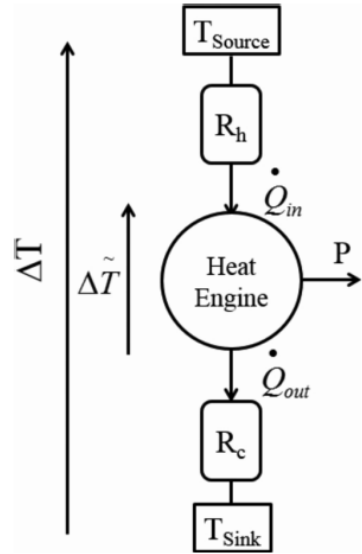
$$\eta_{CA} = \frac{\dot{W}}{\dot{Q}_{in}} = 1 - \sqrt{\frac{T_{cold}}{T_{hot}}}$$

The position of the point on the curve is defined by the intensity parameter which governs the output.

- J. Yvon, The saclay Reactor: Two Years of Experience in the Use of a Compressed gas as a Heat Transfer Agent, Proceedings of the International Conference on the Peaceful Uses of Atomic Energy (1955)
- P. Chambadal *Les centrales nucléaires*. Armand Colin, Paris, France, 4 1-58, (1957)
- I.I. Novikov, Efficiency of an Atomic Power Generation Installation, *Atomic Energy* 3 (1957)
- F.L. Curzon & B. Ahlborn, Efficiency of a Carnot Engine at Maximum Power Output, *Am. J. Phys.* 43 (1975)
- For a review, see Ouerdane et al., *Eur. Phys. J. Special Topics* 224, 839–864 (2015)

Closed-loop approach to thermodynamics

C. Goupil,^{1,*} H. Ouerdane,^{2,3} E. Herbert,¹ G. Benenti,^{4,5} Y. D'Angelo,^{1,6} and Ph. Lecoeur⁷



Conversion, feedback, and gain	A_{0V}	A_{0I}	β_V	β_I	A_{cl}
Open-circuit	α	0	$\frac{R_\theta}{\alpha R_{th}}$	∞	$\frac{\alpha}{1 + \frac{R_\theta}{R_{th}}}$
Short-circuit	0	$\frac{\alpha}{R_{in}}$	∞	$\frac{R_\theta R_{in}}{\alpha R_{th}}$	0
Maximal power	$\frac{\alpha}{2}$	$\frac{\alpha}{2R_{in}}$	$\frac{2R_\theta}{\alpha R_{th}}$	$\frac{2R_\theta R_{in}}{\alpha R_{th}}$	$\frac{\frac{\alpha}{2}}{1 + \frac{R_\theta}{R_{th}}}$

$$A_{0V}\beta_V(i\omega) = \frac{R_\theta}{R_{th0}} \left[1 + \frac{R_{in}}{R_{in} + R_{load}} Z\bar{T}(i\omega) \right]$$

